## INDIAN SCHOOL MUSCAT

## HALF YEARLY EXAMINATION

## SET C

## SEPTEMBER 2019

## CLASS IX

## Marking Scheme -MATHEMATICS

| Q.NO. | Answers Set C | Marks (with split up) |
| :---: | :---: | :---: |
| 1 | SECTION A ( $20 \times 1=20$ ) <br> (d) $57^{\circ}$ | 1 m each For qns. 1-20 |
| 2 | (c) $\sqrt{2} x^{2}-3 x+6$ |  |
| 3 | (c) $120^{\circ}$ |  |
| 4 | (d) -1 |  |
| 5 | (b) 1 |  |
| 6 | (a) x -axis |  |
| 7 | (b) B and D |  |
| 8 | 0.32010010001... |  |
| 9 | (b) $\triangle \mathrm{CBA} \cong \triangle \mathrm{PRQ}$ |  |
| 10 | (d) quadrants I and IV |  |
| 11 | $(4,5)$ |  |
| 12 | 9991 |  |
| 13 | 1/3 |  |
| 14 | $55^{\circ}$ |  |
| 15 | $60^{\circ}$ |  |
| 16 | $a=-5$ |  |
| 17 | $66^{\circ}$ |  |
| 18 | 0.3162 |  |
| 19 | QR |  |
| 20 | $\mathrm{P}=14$ |  |
| 21 | $\text { SECTION -B }(6 \times 2=12)$ <br> Same as set A q.no. 25 |  |
| 22 | $9 a^{2}+4 b^{2}+25 c^{2}-12 a b-20 b c+30 a c$ <br> (OR) <br> $(x+y+z)^{2}=x^{2}+y^{2}+z^{2}+2(x y+y z+z x)$ substituting the given values and we get $x^{2}+y^{2}+z^{2}=35$ |  |
| 23 | $(0,0)(-5,0)$ | 1 each |
| 24 | $-2 x+5 y+1=0,3 x-8=0$ | 1 each |


| 25 | $\begin{array}{\|l\|} \hline \text { Let } x=2.3777 \ldots \\ 10 x=23.777 \ldots \\ 100 x=237.777 \ldots \text { solving, we get } x=107 / 45 \end{array}$ | $\begin{array}{\|l} \hline 1 \text { each } \\ \text { step } \end{array}$ |
| :---: | :---: | :---: |
| 26 | Given, to prove and proof |  |
| 27 | $\text { SECTION }-\mathrm{C}(8 \times 3=24)$ <br> Construction - no. line |  |
| 28 | $\mathrm{a}, \mathrm{c}, \mathrm{e}$ are irrationals, $\mathrm{b}, \mathrm{d}$, and f are rationals |  |
| 29 | $\text { By remainder thm. } f(3)=g(3)$ $27 a+36+9-4=27-12+a$ <br> By Solving, we get a = -1 (OR) <br> Same as set B Q.no. 32 |  |
| 30 | $y+2 y+69=180^{\circ}$ ( linear pair) <br> solving we get $y=37^{\circ}$ <br> $37^{\circ}+x+x+13^{\circ}=180^{\circ}$ ( angle sum property of a triangle) <br> Implies $x=65^{\circ}$ <br> Therefore, the angles are $37^{\circ}, 65^{\circ}$ and $78^{\circ}$ |  |
| 31 | $\begin{aligned} & \text { In } \triangle A B C, A B=A C \text { implies } \angle B=\angle C \\ & \text { In } \triangle A B E \text { and } \triangle A C D \\ & A B=A C \\ & \angle B=\angle C \\ & B E=C D \\ & \text { Therefore }, \triangle A B E \cong \triangle A C D(B y \text { SAS } \cong \text { RULE }) \\ & A E=A D(C P C T) \end{aligned}$ |  |
| 32 | Given, to prove, construction and proof. |  |
| 33 | Let the numbers be x and y $Y=3 x$ <br> $(1,3),(2,6),(3,9)$ or any other solutions.... |  |
| 34 | (i) $(4 z / 3-1)^{3} \quad$ (ii) $(6 a-v 2 b)\left(36 a^{2}-6-\sqrt{2 a b}+2^{2}\right)$ |  |
| 35 | SECTION-D $(6 \times 4=24)$ <br> Rationalizing the denominator and on simplification we get $\quad a=0$ and $b=-1$ |  |
| 36 | $\mathrm{x}=1$ is a zero of the polynomial, quotient is $\mathrm{x}^{2}+5 \mathrm{x}+6$ using splitting the middle term we get, $(x+2)(x+3)(x-1)$ |  |
| 37 | Any three solutions Pt. $(3,-2)$ does not lie on the graph. |  |
| 38 | Given, figure, to prove and proof. (OR) $\begin{aligned} & \angle \mathrm{QPS}+\mathrm{x}=\angle \mathrm{RPT} \\ & \angle \mathrm{QPS}=40^{\circ} \\ & \angle \mathrm{QPS}+\mathrm{x}+\mathrm{x}+30^{\circ}=90^{\circ} \end{aligned}$ $\text { On solving we get } \mathrm{x}=10^{\circ}$ |  |
| 39 | Given, figure, to prove and proof. |  |
| 40 | After plotting the points on the graph, we get trapezium and its area $=15$ sq. units. |  |

